Government bonds are potential alternatives to regular term deposits. It has favourable liquidity properties meaning you can mobilize your investment anytime under normal market conditions.
Hungarian government bonds are interest-bearing government securities with maturity longer than one year. Currently it is issued for four maturities, namely 3 years, 5 years, 10 years and 15 years. Coupon payments can be fixed or floating.

## product description

Government bonds are issued by the Hungarian Debt Management Agency representing the debt of the Hungarian State for maturities longer than one year. Only primary dealers may buy treasury bonds from the State. As K\&H Bank is a primary dealer you can buy government papers at our bank at the best possible price.

## Government bonds pay annually or semi-annually interest

 (coupon), which is fixed as a percentage of the face value. Government bonds can be purchased at the current price in every case, while at maturity the face value (HUF 10000 / piece) is repaid and you are entitled to all future interest payments of your bonds. Interest payments are fixed similarly to term deposits, thus the yield until maturity is predictable also for this instrument.The price of the government bond gives today's value of the bond's future cash-flow (coupon+principal). (Present value of the bond's future cash-flow at the yield level at time of purchase). As the coupon payments and principal repayment occur at different dates the price can be interpreted as the sum of deposits with the same payments as the bond's cash-flow at the different expiries at the current market yield.
As most investors are concerned on the yield level the trading of the securities is based on the yield. The yield of the bond expresses the realised yield level for the whole tenor if the bond is held until maturity and the coupon payments are reinvested at the same yield level. The liquid secondary market allows the sale of the security before maturity, thus if you need the invested amount you can sell your government bonds, however the time proportional yield will be uncertain, i.e. it can be lower or higher than the yield level at the time of purchase. Sale of a treasury bill does not involve additional costs as breaking the deposit in case of a term deposit, however the realised time proportional yield will be uncertain, i.e. it can be lower or higher than the yield level at the time of purchase.
yield and price calculation of government bonds (with fixed coupon payments)
calculating price from yield: gross price $=\sum_{i=1}^{n} \frac{\text { coupon }}{\left(1+\frac{\text { yield }}{100}\right)^{t}}+\frac{\text { notional (10 000) }}{\left(1+\frac{\text { yield }}{100}\right)^{t}}$
where:

- $n=$ number of remaining coupon payments
- $t=$ number of years until maturity, where the day count of the actual interest period must be taken into account (365 or 366)
for example: to calculate after coupon payment the gross price of a bond with annual $5 \%$ coupon payments (HUF 550 / piece) with a remaining tenor of 3 years and a face value of HUF 10000 at $6.00 \%$ market yield, the following formula can be used:
$\left(\frac{500}{(1+0.06)^{1}}\right)+\left(\frac{500}{(1+0.06)^{2}}\right)+\left(\frac{500}{(1+0.06)^{3}}\right)+\left(\frac{10.000}{(1+0.06)^{3}}\right)=9732.70$
Prices of government bonds are typically quoted as a percentage rounded to 4 digits according to market convention. Thus the price of the bond in the example is $97.3270 \%$ as a percentage of the face value.

In case the bond's coupon payment is higher than the actual market yield, the price is higher than the face value, which is compensated by the above market coupon payments. Thus the price of a bond with the same parameters as above at $4 \%$ market yield:
$\left(\frac{500}{(1+0,04)^{1}}\right)+\left(\frac{500}{(1+0,04)^{2}}\right)+\left(\frac{500}{(1+0,04)^{3}}\right)+\left(\frac{10.000}{(1+0,04)^{3}}\right)=10277,51$
i.e. the gross price of the bond will be $102.7751 \%$

Sale and purchase of government bonds are conducted at the gross price explained above. Gross price is the sum of the accrued interest and the net price. At coupon payment the owner of the bond receives the full payment for the interest period, therefore the buyer has to pay also the accrued interest (interest not yet paid for the time elapsed from the interest period)
Accrued interest is zero at the time of issuance or coupon payment, i.e. gross and net prices are equal. Otherwise:
accrued interest $=$ coupon $\% \times \frac{\text { days elapsed after the last interest payment }}{\text { number of days in the actual interest period (365 of } 366)} \times$ nominal value
If you wish to sell your investment before maturity the realised yield can be calculated as follows:

example for buying government bond - held until maturity: an investor wishes to invest his HUF 100 million for 3 years. Current market yield of 3 -year government bonds is $7.35 \%$. The current price of the government bond with $8 \%$ coupon and 3 -years until maturity is $101.6950 \%$ (as a percentage of the face value), i.e. HUF 10,169.50/piece.
example for buying government bond - sold before maturity: an investor wishes to invest his HUF 200 million for 3 years. He places HUF 100 million in term deposit with $7.35 \%$ interest, while he buys government bonds for HUF 100 million with $7.35 \%$ yield. The purchased security matures in 3 years and pays $8 \%$ coupon, the purchase is concluded right after coupon payment. One year ( 365 days) after the transactions he wishes to access HUF 100 million.

In this case he can choose from 2 solutions. The first possibility is to break his deposit. In this case however the bank pays only $1 \%$ sight interest, i.e. HUF $101,000,000$ is repaid after the invested 100 million. The realised annual interest is $1 \%$. The other possibility is to sell his government bonds worth of HUF 100 million before maturity. In this case there are three scenarios depending on the evolution of the market yield. As the bonds are sold exactly one year after the purchase it is important to note that the transaction is right after coupon payment so the received interest can be reinvested at the actual market yield.

1. market yield increases by $1 \%$ - after one year of purchase the price of the government bond at $8.35 \%$ market yield is HUF $9937.88 /$ piece. The investor also receives the $8 \%$ coupon, i.e. HUF 800. In sum he realises HUF 10737.88 , which equals to $5.59 \%$ realised yield.
2. market yield unchanged - after one year of purchase the price of the government bond at $7.35 \%$ market yield is HUF 10,116.95/piece. The investor also receives the $8 \%$ coupon, i.e. HUF 800 . In sum he realises HUF 10,916.95, which equals to $7.35 \%$ realised yield.
3. market yield decreases by $1 \%$ - after one year of purchase the price of the government bond at $6.35 \%$ market yield is HUF $10,301.03 /$ piece. The investor also receives the $8 \%$ coupon, i.e. HUF 800. In sum he realises HUF 11,101.03, which equals to $9.16 \%$ realised yield.

Government bonds are identified with a unique code built up of letters and numbers. The A140212C03 (or 2014/C) is a bond maturing (and paying coupon) on 12.02 .2014 issued in 2003. The letter "C" distinguishes it from securities maturing in the same year.

## advantages

- held until maturity the government bond provides fixed yield
- possibility to earn interest similar to a term deposit, while in case you need to sell the investment before maturity there is no "break fee", the price is based on the actual market yield.
- if government bonds are bought with a longer tenor than intended you may realise better yield when selling before maturity (in case market yield decreased in the meantime)
- liquid instrument, the investment may be mobilized anytime


## risks

- if you buy securities with longer tenor than you intend to invest the realised yield is uncertain
- if you have to sell the government bonds before maturity, its value may be less than at time of purchase, i.e. the realised yield may be negative. This may occur if the sale is very shortly after the purchase relative to the tenor and/or the market yield increases significantly over the tenor

